

# Modelling active earth fault compensation device



## D2.1-8 by University of Vaasa

24.02.2016, Amir Farughian, Kimmo Kauhaniemi  
[kimmo.kauhaniemi@uwasa.fi](mailto:kimmo.kauhaniemi@uwasa.fi)

---



Solution Architect for Global  
Bioeconomy & Cleantech Opportunities

# Introduction

- Active Earth Fault Compensation / Active Earthing is a promising scheme for handling single phase to ground faults in medium and high voltage networks without customer outage.
- A Swedish company called Swedish Neutral has put this scheme into practice as Ground Fault Neutralizer (GFN).
- The GFN operates in resonant grounded networks. It provides fast and complete compensation of all remaining earth-fault currents – both fundamental and harmonics.

# Principles of GFN Operation

- Instead of tripping the faulty feeder, GFN cancels out the fault current by injecting an anti-phase current into the neutral.
- Determining the injected current is based on measuring the zero-sequence admittance by injecting a current into the neutral.

$$\text{Pre-fault: } \underline{Y}_{0ref} = \frac{\underline{I}_{oref}}{\underline{U}_{0ref}}$$

$$\text{Post-fault: } \underline{I}_{0inj} = \underline{Y}_{0ref} \underline{U}_{0meas}$$

# Implementation

Determination of the injected current:

1. A measurement at no fault conditions (normal operating condition) is made and taken as a reference value for the zero-sequence admittance  $Z_{f0}$ .
2.  $U_{f0}$  is monitored constantly. If it exceeds a certain value, another measurement for  $Z_{f0}$  is made. A fault situation is detected if the measured value differs from the reference.
3. The GFN injects to the neutral a current with a magnitude and phase angle so that the new measured zero-sequence admittance equals the reference value. This leads to zero fault current.

# Principles of GFN Operation

$$\underline{I}_0 = \underline{I}_1 + \underline{I}_2 + \underline{I}_3$$

$$\underline{Z}_0 = \frac{\underline{U}_0}{\underline{I}_0}$$

Normal operating conditions:

$$\underline{Z}_0 = \frac{1}{3} \left( \underline{Z} + \frac{1}{j\omega C} \right)$$

Fault has occurred:

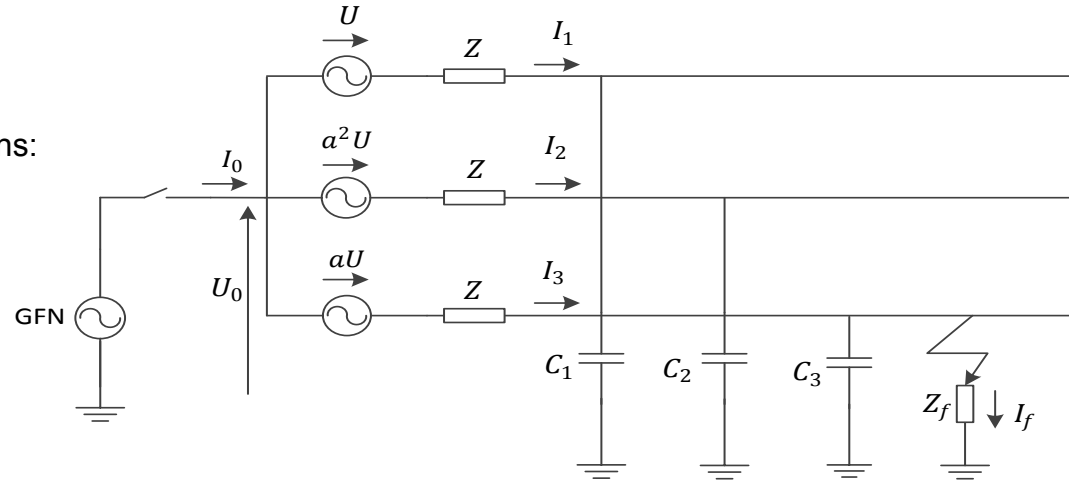
$$\underline{U}_0 - \underline{U} + \underline{I}_1 \left( \underline{Z} + \frac{1}{j\omega C} \right) = 0$$

$$\underline{U}_0 - a^2 \underline{U} + \underline{I}_2 \left( \underline{Z} + \frac{1}{j\omega C} \right) = 0$$

$$\underline{U}_0 - a \underline{U} + \underline{I}_3 \left( \underline{Z} + \frac{1}{j\omega C} \parallel \underline{Z}_f \right) = 0$$

$$\rightarrow \underline{I}_3 = 0 \text{ \& } \underline{U}_0 = -a \underline{U}$$

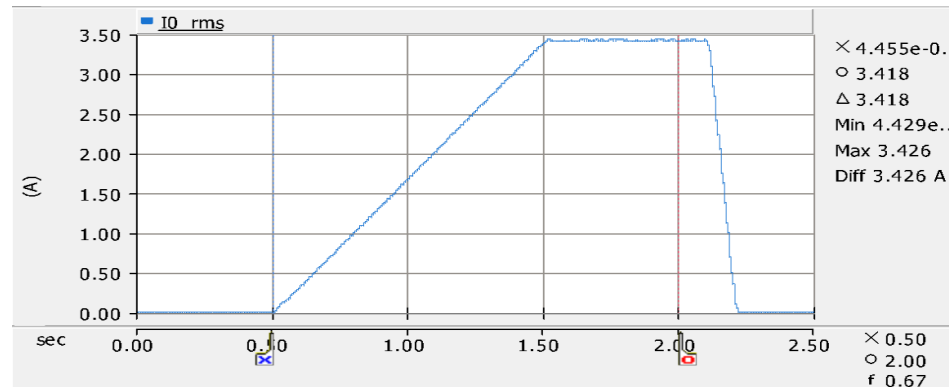
$$\rightarrow \underline{I}_f = 0$$



Simplified model of an MV network

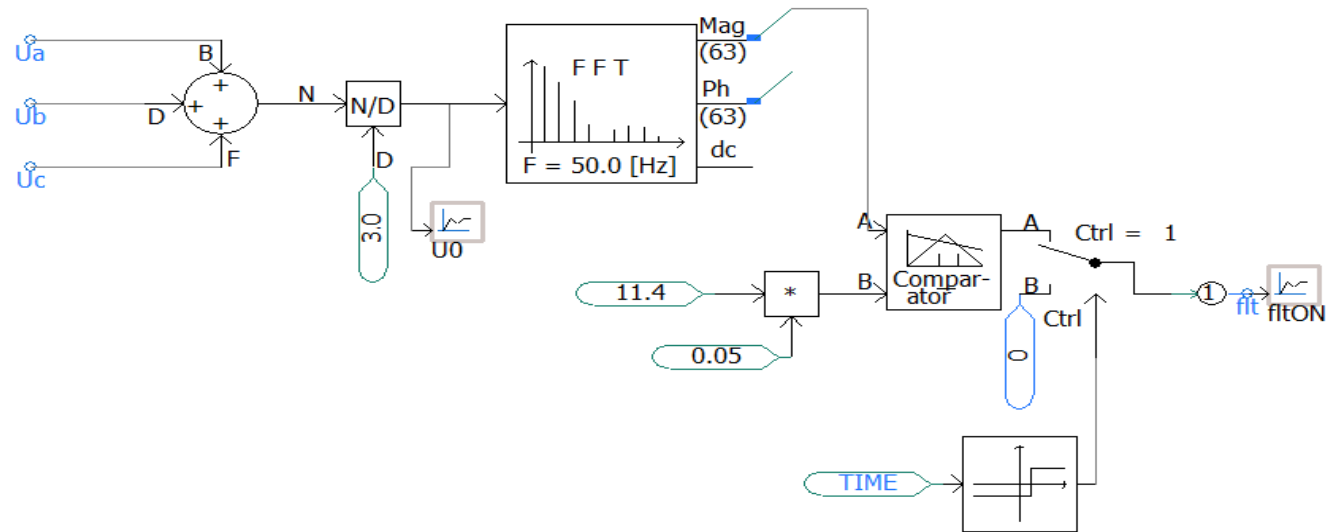
# Determination of $Z_{l0}$ in normal operation conditions

1. GFN injects a current to the neutral point as shown in the figure below.
  2. At  $t=2\text{ s}$  the  $I_{l0}$  and  $U_{l0}$  are measured and with them the reference zero admittance  $Y_{l0ref}$  is calculated.
- Note that to avoid any problem caused by transient states, the injected current waveform is not a square.



# Fault detection

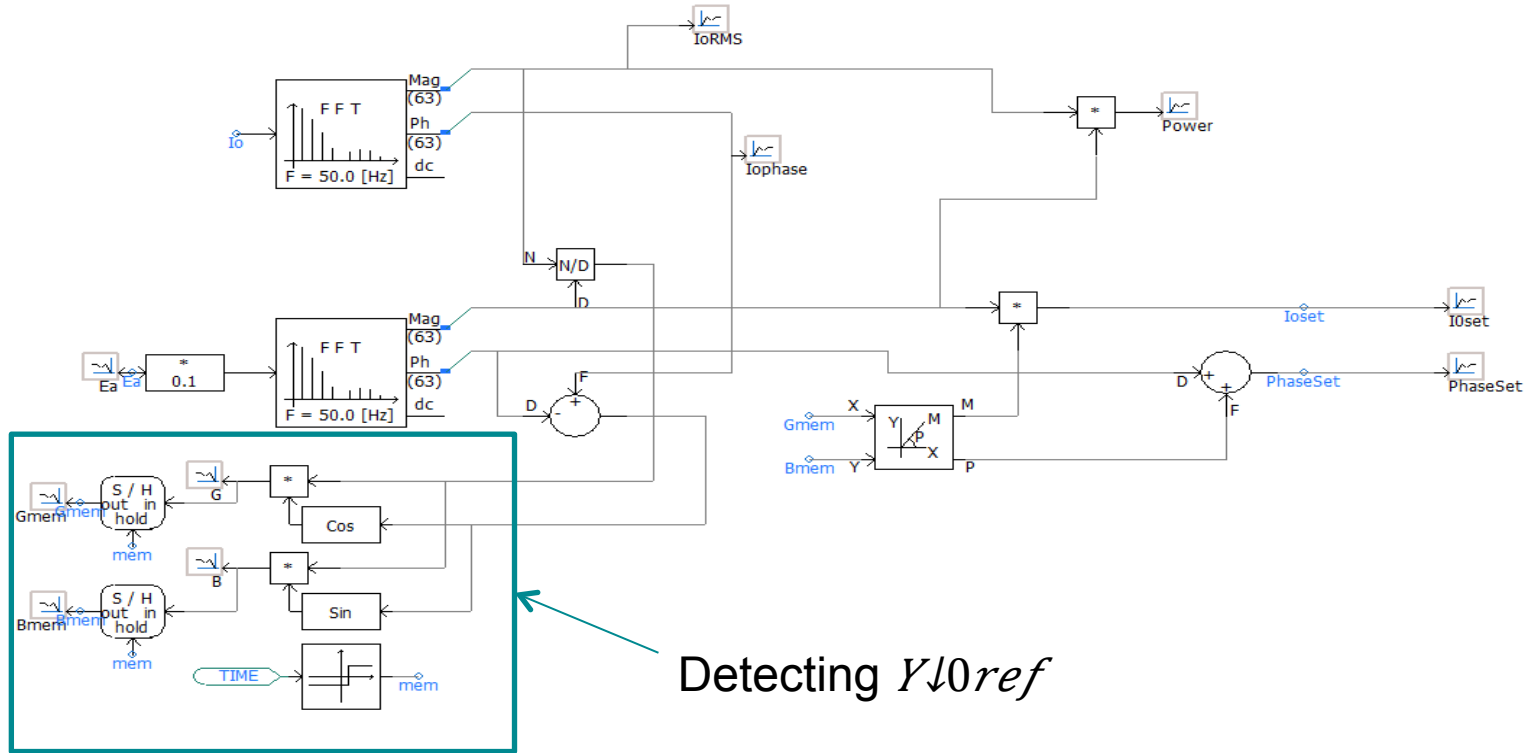
- If at any time the measured  $U_{l0}$  is greater than 5% of the nominal phase voltage (11.4 kV), a fault situation is detected which leads to the activation of GFN.
- Note that in the first 2 seconds of the simulation, the  $U_{l0}$  value changes due to GFN experiments and should not be considered as a fault condition.



FLEX<sup>e</sup>

Future Energy  
System

# Control System





# Control System

- The control variables are the magnitude and angle ( *$I_{0\text{Set}}$*  and  *$PhaseSet$* ) of the zero sequence current required to be injected to the neutral by the GFN
- At  $t=2s$  (normal operating conditions):

$$\underline{Y}_{0ref} = \frac{I_0}{U_0} \angle (\delta_{I0} - \delta_{U0})$$

- In case of fault:

$$I_{0inj} = U_{0meas} Y_{0ref}$$

$$\delta_{I0inj} = \delta_{U0meas} + \delta_{Y0ref}$$



# Control System

- In the simulation model:

$$Gmem = \frac{I_{0ref}}{U_{0ref}} \cos(\angle I_{0ref} - \angle U_{0ref})$$

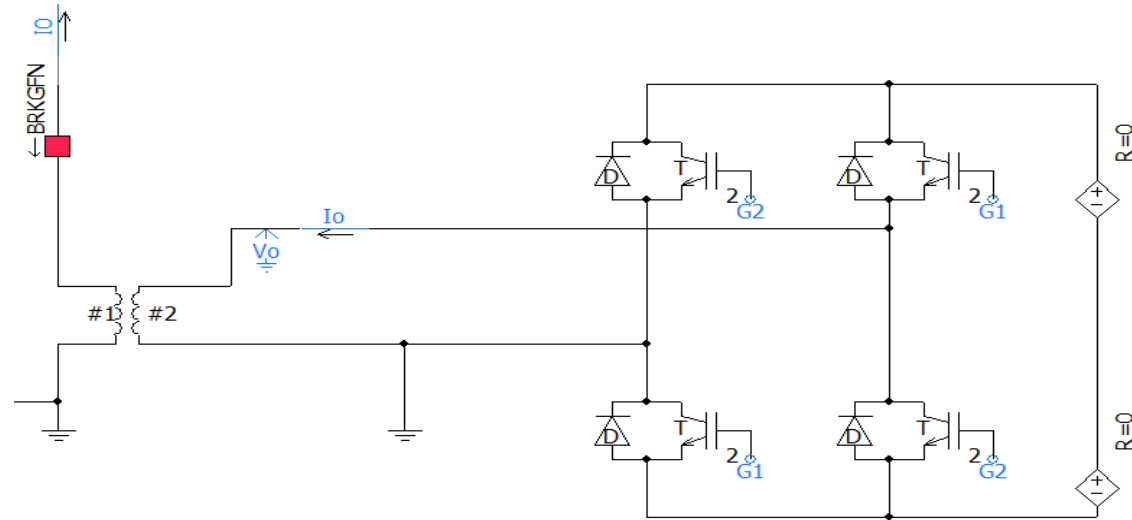
$$Bmem = \frac{I_{0ref}}{U_{0ref}} \sin(\angle I_{0ref} - \angle U_{0ref})$$

$$I_0Set = I_{0inj}$$

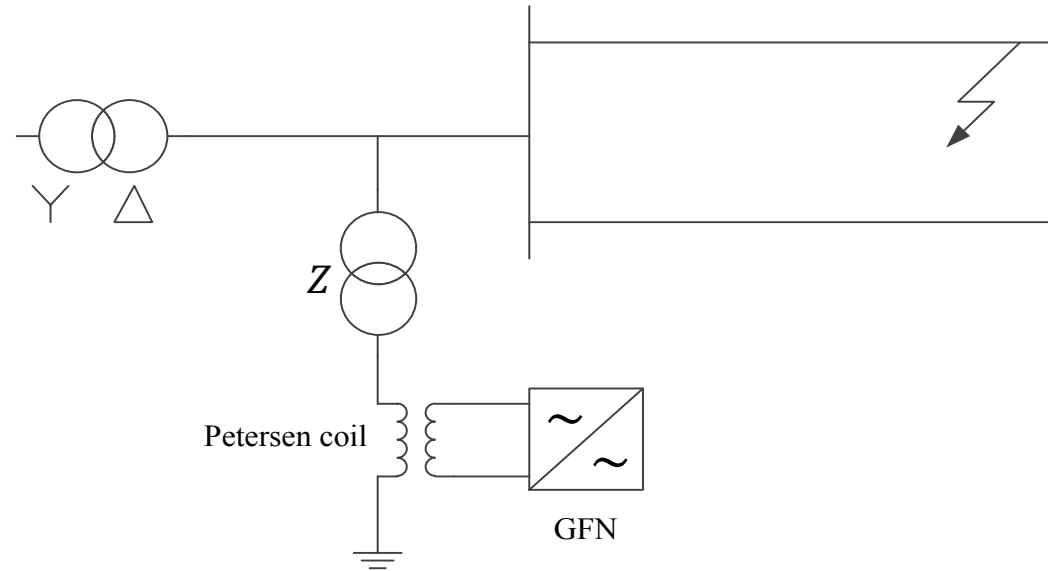
$$PhaseSet = \delta_{I0inj}$$

# Current Source

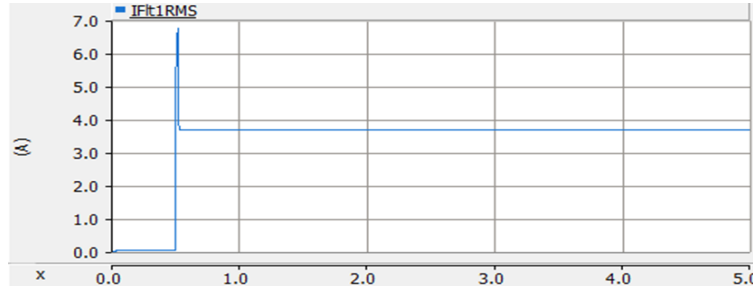
## Inverter applying hysteresis based current control



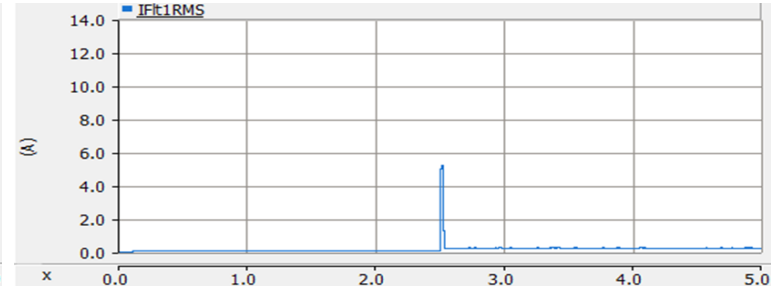
# The Schematic of the Power System Modelled



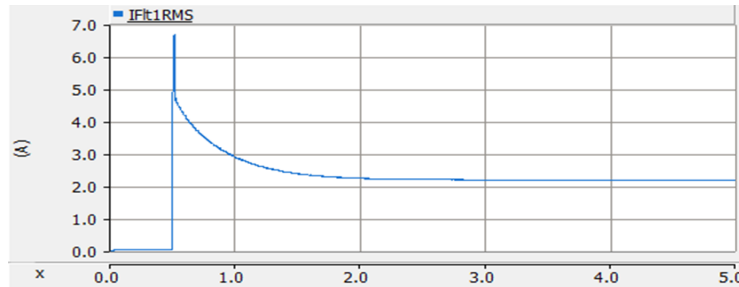
# Fault Currents



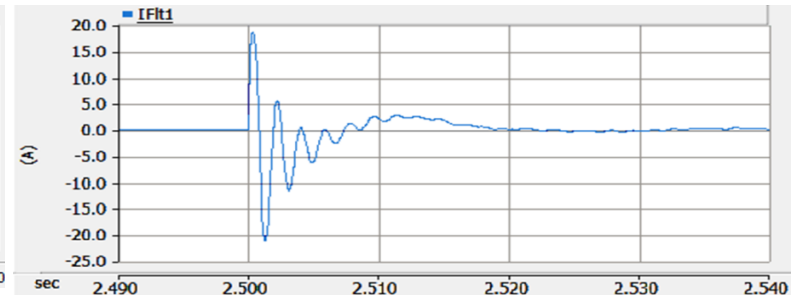
a) No GFN or Petersen coil connected (RMS value)



c) GFN connected (RMS value)



b) Only Petersen coil connected (RMS value)



d) GFN connected



# References

1. Klaus M. Winter, “The RCC Ground Fault Neutralizer — A novel scheme for fast earth-fault protection”, 18th International Conference and Exhibition on Electricity Distribution, CIRED 2005.
2. J. Schlabbach, K. Rofalski, “Power System Engineering: Planning, Design, and Operation of Power Systems and Equipment”, John Wiley & Sons, 21 Jul 2008.

# Appendix

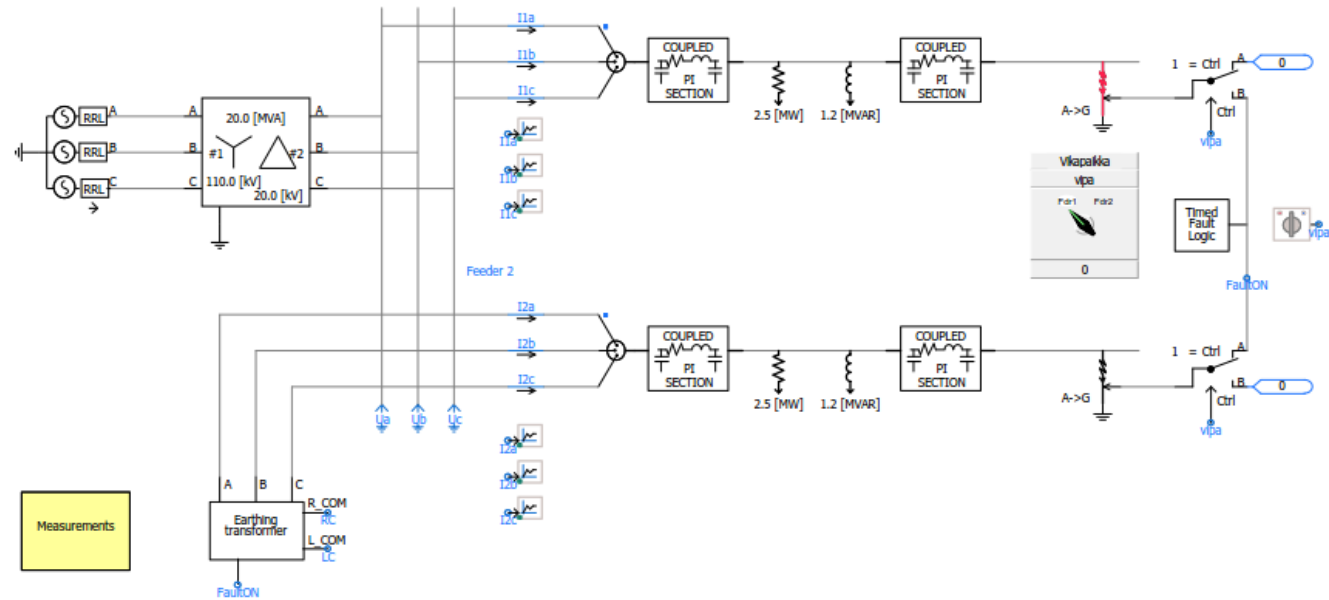


---

Solution Architect for Global  
Bioeconomy & Cleantech Opportunities

# Simulated System in PSCAD

## Main Page





## Simulated System in PSCAD

### Earthing Transformer

